

# Ortho-Branched Ladder-Type Oligophenylenes with Two-Dimensionally $\pi$ -Conjugated Electronic Properties

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Supporting Information

**ABSTRACT:** The synthesis, photochemical and electrochemical properties, and electronic structures of a series of star-shaped ladder-type oligophenylenes Sn (n = 7, 10, 13, 16, 19, and 22), including one multibranched case S19mb, are reported and compared with the linear para-phenylene ladders Rn (n = 2-5 and 8) and the stepladder analogues SFn (n = 10, 16, and 22). The *n* value refers to the number of  $\pi$ -conjugated phenylene rings. Functionalized isotruxenes are the key synthetic building blocks, and S22 is the largest monodispersed ladder-type oligophenylene known to date. The Sn systems possess the structural rigidity of Rn and the ortho-para phenylene connectivity of SFn. Consequently, Sn represents the first class of branched chromophores with fully two-



dimensional conjugation in both ground- and excited-state configurations. Evidences include the excellent linear correlations for the optical 0–0 energies or the first oxidation potentials of *Sn* and *Rn* against the reciprocal of their *n* values, delocalized HOMO and LUMO based on density functional theory calculations, and molecule-like fluorescence anisotropy. The resulting model of effective conjugation plane (ECP) for the two-dimensional  $\pi$ -conjugated systems compliments the concept of effective conjugation length (ECL) for one-dimensional oligomeric systems. Other implications of the observed structure—property relationships are also included.

## INTRODUCTION

Monodispersed conjugated oligomers (MCO) constitute an important class of organic electronic materials.<sup>1–15</sup> They possess the merits of molecule-like structural purity and polymer-like flexibility, thermal stability, and film-forming properties. Many recent efforts have been devoted to synthesis of multidimensional MCO such as two-dimensional stars and discs as well as three-dimensional cruciforms and dendrimers.<sup>8-16</sup> The extra dimensions in MCO hold great promise for improved solubility, new film morphology, and/or decreased electronic anisotropy. However, their effective conjugation length (ECL)<sup>17,18</sup> is often poorly defined or confined in a short one-dimensional segment. This stems from the fact that electronic coupling among the branched segments strongly depends on the degree of steric congestion and electronic communications through the branching units. Large torsion angles<sup>3,19</sup> and cross-conjugated linkers (e.g., meta-phenylene)<sup>2,13,14</sup> in the conjugated backbone could severely hamper or even truncate the exciton delocalization. Accordingly, the steric and electronic characters of the branching units play a pivotal role in developing MCO of truly multidimensional electronic conjugation.

Phenylene-based conjugated oligomers<sup>4–10,14–16</sup> and polymers<sup>9,20–23</sup> are promising candidates for organic electronics due to their high photoluminescence quantum efficiency, prominent charge-carrier mobility, and great electrochemical and thermal stability. The ring-bridging approach that connects adjacent phenylene rings at the ortho positions with solubilizer-substituted saturated carbons can simultaneously enhance their solubility and conformational planarity and rigidity. The socalled stepladder and ladder-type polyphenylenes correspond to the partly and fully bridged systems, respectively. Recently, an intriguing position effect of ring-bridging was observed for indenofluorenes (1, R = H), where the *anti*-isomer 1a displays redshifted absorption and fluorescence maxima (12–13 nm) with respect to the *syn*-isomer 1s.<sup>24</sup> While this position effect reflects the differences in linearity of the phenylene backbone (1a > 1s) or the pattern of substitutions (para in 1a vs ortho in 1s), the role of this position effect in a larger ladder system remains to be evaluated.



An extension of the one-dimensional 1s by adding another indeno group to the central ring leads to the two-dimensional isotruxene 2 with an ortho-para phenylene connectivity. We have shown that 2 is a branching unit that allows strong electronic coupling between the ortho and the para branches.<sup>15</sup> A combination of ladder-type para-phenylene segments and

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Figure 1. Schematic representation of the structures of oligophenylenes *Sn*, *Rn*, and *SFn*, where the black dots represent the backbone phenylene rings with a number of *n*. The difference in colors between the black dots represents the difference of solubilizing substituents on the saturated carbons. See Supporting Information Charts S1–S4 for chemical structures of *Sn*.

**2** should lead to systems fulfilling the needs for two-dimensional conjugation. Indeed, we recently communicated<sup>16</sup> the first example of fully conjugated stars with the isotruxene-derived ladder-type oligophenylenes *Sn*, where *S* and *n* denote the shape (i.e., star) of the structure and the total number (i.e., 4, 7, 10, 13, and 16) of phenylene rings in the  $\pi$ -conjugated backbone, respectively (Figure 1). The extra dimension added by the ortho branch in *Sn* elongates the ECL and lowers the energy gap, leading to red-shifted fluorescence for S16 vs a linear long-chain ladder polymer<sup>21</sup> (470 nm vs 464 nm). Unlike the ECL of ~12 phenylene rings for one-dimensional ladders (**R***n*),<sup>22</sup> the absence of saturation in the emission wavelength of S16 led us to extend the concept of ECL to a two-dimensional cyclic region that defines the boundary of exciton delocalization in *Sn*. We will call it effective conjugation plane (ECP) hereafter.

Several important questions remained open in the study of Sn. First, we have proposed<sup>16</sup> that ECP is a cyclic extension of ECL: namely, the diameter of ECP for Sn equals the ECL for the linear ladder Rn. This in turn suggests that saturation in electronic transition energy for the Sn series will occur at the size of S19 or S22. However, this prediction is not yet verified, because previous attempts to prepare Sn larger than S16 with the same solubilizers were unsuccessful. Second, despite the presence of effective two-dimensional conjugation in Sn containing one ortho branch, it is unknown if the same phenomenon is also present in systems of multiple ortho branches. This is another crucial point for establishing the ECP model. Third, neither the general picture of electronic structure nor the origins of allowed transitions in the absorption spectra of Sn are fully characterized.

In the present work, we address all these questions. Two larger systems **S19** and **S22** and one *m*ulti-*b*ranched system **S19mb** containing four ortho branching cores have been successfully prepared by changing the solubilizers and/or the synthetic strategy. In addition, DFT and TD-DFT calculations and fluorescence anisotropy measurements on *Sn* have been conducted to characterize their electronic structures. Our results confirm the proposed ECP model and show that ortho-conjugation is as effective as para-conjugation provided that the planarity and rigidity of the  $\pi$ -conjugated backbone is sufficiently high. The backbone planarity is more important than the position of bridging atoms in determining the optical properties of these ladder-type oligomers. The electronic character of these

branched oligophenylenes is molecule-like rather than polymer-like in terms of the single-chromophore and twodimensional optical transition behavior.

# RESULTS AND DISCUSSION

Synthesis. The synthesis of S7, S10, S13, S16, and S19mb adopted a convergent synthetic strategy by linking an isotruxene core and three corresponding arms. The synthetic details for the former four compounds have been communicated,<sup>16</sup> and the strategy for S19mb is illustrated in Scheme 1. The Suzuki-Miyaura cross coupling of the boronic acid functionalized isotruxene core S4'BA and the bromo and ester functionalized 5-phenylene branched arm A5bBr formed the ester-containing 19-phenylene precursor pre-S19mb. The subsequent nucleophilic carbonyl addition and intramolecular Friedel-Crafts alkylation reactions afforded the fully ring-bridged ladder scaffold of S19mb. Both the reactants S4'BA and A5bBr contain the isotruxene moieties and can be prepared from the parent isotruxene and isotruxene monobromide ITBr, respectively. We have developed facile synthetic methods for the parent isotruxene (i.e., 2 with R = H).<sup>25</sup> We also showed that they can be modified to form prefunctionalized isotruxenes with functional groups at selected phenylene ring(s).<sup>26</sup> The synthesis of ITBr provided a new example (Supporting Information [SI]). Scheme 2 shows the conversion of ITBr to A5bBr. Basepromoted alkylations of ITBr were conducted with t-BuOK in the presence of catalytic amounts of 18-crown-6. The resulting S4Br was converted to boronic ester S4BE by the Miyaura boration reaction and then to A5bBr by the Suzuki coupling with the ring-bridging precursor diethyl 2,5-dibromobenzene-1, 4-dioate (pre-RB). The reactant S4'BA was prepared by following the previously reported method<sup>16</sup> for its analogue S4BA. In brief, the synthesis was accomplished in three steps starting with the parent isotruxene: namely, alkylations on the saturated carbons, brominations on the terminal phenylenes, and bromoto-boronic acid transformation. The difference between S4'BA and **S4BA** is the length of the alkyl substituents (hexyl vs ethyl) on the saturated carbons. Hexyl chains are no doubt better solubilizers than ethyl chains for a polymer system. However, we have adopted the short-chain isotruxene building blocks S4Br and S4BA in our previous synthesis of star-shaped isotruxene

#### Scheme 1



derivatives, including S7, S10, S13, and S16. These isotruxene derivatives possess sufficiently good solubility in organic solvents, presumably due to their unsymmetrical structures. A particular reason for using ethyl instead of hexyl groups at the first onset is that the hexyl substituted S4' (i.e., 2 with  $R = C_6H_{13}$ ) is an oily liquid, but the ethyl substituted S4 (i.e., 2 with  $R = C_2H_5$ ) is a solid at room temperature. The latter has the advantages of facile compound purification, storage, and transfer. However, the use of ethyl solubilizers has met its limitation in preparing the larger S*n* systems S19 and S22. We thus adopted S4'BA for the synthesis of S19 and S22 as well as S19mb in this work.

The synthesis of S19 and S22 was accomplished by a mixed convergent and divergent method, which is represented by the case of S22 (Scheme 3). It is divergent because the entire phenylene backbone was constructed through two stages. The first stage is the Suzuki-Miyaura cross coupling of S4'BA and the TMS group-protected 3-phenylene arm A3TMSBr that forms the 13-phenylene intermediate *pre-S13TMS* bearing a TMS group at each terminal phenylene. The TMS groups were then replaced by iodine atoms with iodine monochloride. The resulting *pre-S13I* was then subjected to the second-staged cross coupling reactions with the boronic ester-incorporated 3-phenylene arm A3BE to afford the 22-phenylene precursor

*pre-*S22. The final step of ring-bridging reaction to form S22 is the same as that for S19mb. The overall synthesis is also convergent because not only the above-mentioned reactant S4'BA but also A3TMSBr and A3BE requires multistep syntheses. The synthesis of A3TMSBr is shown in Scheme 4. Treatment of 2,7-dibromo-9,9-dihexylfluorene (FBr<sub>2</sub>) with 1 equiv of *n*-BuLi followed by reaction with chlorotrimethylsilane gave compound FTMSBr. After the bromo-to-boronic acid transformation, the resulting FTMSBA was subjected to the Suzuki-Miyaura coupling reaction with *pre*-RB in the final step of Scheme 2 to form A3TMSBr. The synthesis of A3BE also involved the Suzuki-Miyaura coupling reaction and the Miyaura boration reaction with the reaction conditions resembling those in Scheme 2 (see Supporting Information). To the best of our knowledge, S22 is the largest monodispersed oligophenylene reported to date.

It should be noted that the solubilizers on the ring-bridging saturated carbons in S19, S22, and S19mb are different from those in S4, S7, S10, S13, and S16 not only in the central isotruxene core but also in the arms. Such differences are represented with different colors in the represented structures schematically depicted in Figure 1. Unlike the ethyl and *p*-tolyl substituents in the smaller Sn systems, the mixed substituents of hexyl and 4-butylphenyl groups are believed to be crucial in promoting the solubility of S19, S22, and S19mb.

## Scheme 3



Scheme 4



Some of the above reactions might deserve comments, although the reaction conditions are not completely optimized. For the Suzuki coupling reactions, it generally requires higher loading of the Pd catalyst (5–7 mol % per C–Br bond) for substrates containing the isotruxene core to obtain an optimal yield. This situation was also reported for truxene derivatives.<sup>13b</sup> For the two-step ring-bridging reactions for *pre-Sn*  $\rightarrow$  *Sn* conversion, the yield decreases as the *n* value increases and in the order S7 (72%) > S10 (66%) > S13 (50%) > S16 (46%)  $\sim$  S19mb (43%) > S22 (38%)  $\sim$  S19 (35%). The lower yield for larger *Sn* could be attributed to increased number of reaction sites (i.e., 3, 6, and 12 for S7, S10–S16 and S19mb, and S19–22, respectively), decreased solubility of the precursor *pre-Sn* or the alcohol intermediate, and/or increased skeletal branching and solubilizer size (e.g., S19mb vs S16).

**Electronic Properties.** The difference in solubilizers among the **S***n* series should have little or no effects on their electronic properties, because the alkyl and aryl substituents are nearly perpendicular to the phenylene backbone based on the previously communicated X-ray crystal structures of **S4** and **S7**.<sup>16</sup> A support of this argument is from the same electronic spectra recorded for **S4** and **S4**′ (not shown). The phenomenon of negligible

substituent effects on electronic spectra is also present for the linear ladder  $\mathbf{Rn}^{6,7}$  Therefore, the following discussion on the photochemical and electrochemical properties of  $\mathbf{Sn}$  will focus on the effect of the phenylene number *n*. In this case, **S19mb** can be considered as a skeletal isomer of **S19**, and the difference between them would reflect the effect of terminal branching. The impact of molecular dimensions will be elucidated by comparing  $\mathbf{Sn}$  with the linear ladder  $\mathbf{Rn}$  (n = 2-5 and 8).<sup>6,7,16</sup> The effect of molecular planarity and rigidity will be addressed by comparison with our previously reported<sup>15</sup> stepladder systems **SFn** (n = 10, 16, and 22, Figure 1).

The normalized absorption and fluorescence spectra for **Sn** in dichloromethane are shown in Figure 2 and the corresponding spectral data are summarized in Table 1. All **Sn**, except for **S4**, display well-defined 0–0 vibronic bands in the absorption spectra and 0–0 and 0–1 bands in the fluorescence spectra. The small Stokes shifts  $(\Delta v_{st})$  between the absorption and fluorescence 0–0 bands is consistent with the rigid ladder-type structures. Both the absorption and fluorescence spectra undergo bathochromic shift with increasing the number of phenylene rings up to n = 19. The small or no difference in the 0–0 wavelengths ( $\Delta \lambda \leq 1$  nm) between **S19** and **S22** reveals that the

effective conjugation size of *Sn* is **S19**. More information on this subject will be addressed in the section of ECP model. Both the values of  $\Delta v_{st}$  and the intensity ratio of 0–1 versus 0–0 band  $(I_{01}/I_{00})$  decrease in the order **S7** > **S10** > **S13** > **S16** > **S19mb** > **S19** > **S22**. This is consistent with the expected scenario of a smaller extent of structural relaxation and vibrational coupling in the fluorescing state for larger  $\pi$  systems.<sup>15,27</sup> However, unlike most one-dimensional rigid  $\pi$  systems such as **R***n*, the absorption



**Figure 2.** Normalized absorption (black) and fluorescence (red) spectra for Sn in CH<sub>2</sub>Cl<sub>2</sub> at room temperature. The two vertical blue lines denote the positions of 400 and 440 nm for the discussion of the results of time-resolved fluorescence anisotropy.

and fluorescence spectra have poor mirror images due to the presence of more absorption bands. For example, the absorption spectrum of S7 displays an intense band at 356 nm in addition to the 0-0 (412 nm) and 0-1 (390 nm) bands. Evidently, the presence of an ortho branch is essential for observing these additional optically allowed short-wavelength bands. The ortho segment in S7, S10, S13, and S22 contains 3, 4, 5, and 8 paralinked phenylene rings, corresponding to R3, R4, R5, and R8, respectively. The observed short-wavelength bands of the former group are at longer wavelengths than the 0-0 absorption bands of latter group (i.e., 356, 386, 402, and 442 vs 347, 375, 396, and 433 nm, Table 1). Thus, the short-wavelength bands for Sn should not be due to a localized transition of the ortho-branched arm. On the basis of the TD-DFT calculations (vide infra), these bands involve molecular orbitals localized in the two metarelated arms.

The fluorescence quantum efficiencies  $(\Phi_{\rm fl})^{28}$  and fluorescence lifetime  $(\tau_{\rm fl})$  for Sn in CH<sub>2</sub>Cl<sub>2</sub> are also shown in Table 1. Except for S4 that displays a lower value of  $\Phi_{\rm fl}$  (0.63), the other Sn have similar fluorescence quantum yields ( $\Phi_{\rm fl} = 0.80-0.84$ ). In contrast, the values of  $\tau_{\rm fl}$  show a progressive decrease from S4 to S22, although S19mb has the same lifetime as S16. Thus, the radiative decay rate constant  $k_{\rm fl}$  ( $k_{\rm fl} = \Phi_{\rm fl}/\tau_{\rm fl}$ ) increases as the *n* increases. The smaller  $k_{\rm fl}$  for S19mb vs S19 highlights the negative effect of skeletal branching on  $k_{\rm fl}$ . Skeletal branching might also account for the smaller  $k_{\rm fl}$  for Sn vs Rn of the same number of phenylene rings (e.g., S4 vs R4).

The electrochemical behavior of *Sn* has been investigated by cyclic voltammetry (CV) and differential pulse voltammetry (DPV). As shown in Figure 3, the number of reversible anodic waves increases from one for **S4** to four for **S13**. Several reversible anodic waves are also present for the larger *Sn*, but the peaks become less resolved. Nevertheless, it can be concluded that the larger is the *Sn* size, the more charges can be accommodated. The oxidation potentials ( $E_{ox}$ ) relative to the ferrocene redox couples based on the DPVs are shown in Table 1. As the *n* value increases, both the first and the second oxidation potentials ( $E_{ox1}$  and  $E_{ox2}$ ) of *Sn* undergo negative shifts (i.e., **S4** > **S7** > **S10** > **S13** > **S16** > **S19** = **S19mb** > **S22**). The same trend also hold for the size of peak splitting between  $E_{ox1}$  and  $E_{ox2}$ 

Table 1. Photophysical and Electrochemical Data for Sn and Rn in  $CH_2Cl_2$  at Room Temperature

compd	$\lambda_{\mathrm{abs}}{}^{a}$ (nm)	$\log \varepsilon^b$	$\lambda_{\mathrm{fl}}{}^{c}$ (nm)	$\Delta {v_{\mathrm{st}}}^d  (\mathrm{cm}^{-1})$	$\Phi_{ m fl}$	$ au_{\mathrm{fl}}\left(\mathrm{ns} ight)$	$k_{\rm fl}^{\ e} (10^8 \ {\rm s}^{-1})$	$E_{\mathrm{ox}}^{f}(\mathrm{V})$
S4	306 336 (352)	4.46 (4.19)	(382) <sup>g</sup>	2231	0.63	3.22	1.96	(0.79)
<b>S</b> 7	356 390 (412)	5.03 (4.81)	(428) 449	907	0.81	1.97	4.11	(0.57) 1.05
S10	386 415 (439)	5.16 (5.03)	(453) 481	704	0.84	1.38	6.09	(0.48) 0.85 1.14
S13	402 426 (452)	5.27 (5.21)	(464) 495	572	0.83	1.16	7.16	(0.44) 0.75 0.92 1.15
S16	411 430 (458)	5.31 (5.27)	(470) 500	557	0.80	1.03	7.77	(0.43) 0.70 0.80 0.96
S19mb	411 425 (459)	5.31 (5.26)	(471) 503	555	0.81	1.03	7.86	(0.41) 0.66 0.84
S19	414 433 (461)	5.41 (5.33)	(472) 506	506	0.81	0.91	8.90	(0.41) 0.66 0.80
S22	418 442 (462)	5.52 (5.41)	(472) 507	458	0.82	0.83	9.88	(0.38) 0.59 0.89
R2	(305)	(3.85)	(312)	736	0.28	4.04	0.69	
R3	314 (347)	(4.63)	(353) 366	490	0.38	2.01	1.89	1.02
R4	357 (375)	(4.88)	(382) 401	489	0.78	1.36	5.74	0.83
R5	375 (396)	(5.04)	(403) 425	439	0.81	1.12	7.23	0.75
$\mathbf{R8}^{h}$	410 (433)		(441) 469					

<sup>*a*</sup> Peak maxima of the absorption bands with the 0–0 band in the parentheses. <sup>*b*</sup> Extinction coefficients of the highest peak and the 0–0 absorption band with the latter in parentheses. <sup>*c*</sup> Maxima of the 0–0 and 0–1 fluorescence bands with the former in parentheses. <sup>*d*</sup> Stokes shift defined by the difference of the 0–0 absorption and fluorescence peak maxima. <sup>*e*</sup>  $k_{\rm fl} = \Phi_{\rm fl}/\tau_{\rm fl}$ . <sup>*f*</sup> Oxidation potentials vs Fc/Fc<sup>+</sup> with the first oxidation potential ( $E_{\rm ox1}$ ) in parentheses. <sup>*g*</sup> Estimated from the blue edge of the fluorescence plateau. <sup>*h*</sup> Data from ref 7.



Figure 3. Cyclic voltammogram (black) and differential pulse voltammogram (red) for oxidiation of Sn in  $CH_2Cl_2$  with electrolyte 0.1 M  $Bu_4NPF_6$  at a scan rate of 100 mV s<sup>-1</sup>.

 $(\Delta E_{\text{ox}} = E_{\text{ox2}} - E_{\text{ox1}})$ . The smaller  $\Delta E_{\text{ox}}$  for larger *Sn* can be attributed to a decreasing Coulombic repulsion between the two charges. The behavior of *n*-dependent charge accommodation and peak splitting has also been observed for the stepladder analogues of *Sn* (i.e., *SFn*).<sup>15</sup> However, the  $E_{\text{ox1}}$  of *SFn* (0.60 V vs Fc/Fc<sup>+</sup>) is independent of the *n* values (10, 16, and 22) and lies in between that of S4 (0.79 V) and S7 (0.57 V), the result of which reflects the important effect of structural planarity (or conformational freedom in torsions) on electronic properties.

ECP Model. MCO are ideal models for elucidating fundamental electronic properties of  $\pi$ -conjugated polymers. Correlation plots of photophysical or electrochemical data against the number of repeat units (n) or its reciprocal (1/n) are particularly informative.<sup>17,18,29</sup> For example, the ECL and the limiting bandgap of many one-dimensional systems have been determined on the basis of the optical transition energy vs 1/n plots.<sup>17</sup> In addition, the interplay of charge transfer and conjugation (particle in a box) interactions in donor-acceptor substituted MCO can be probed with the spectral peak maxima vs n plots.<sup>29</sup> With the correlations known for the parent systems, any deviation of related compounds might reveal the conformational or substituent effects. As such, data of the electronic 0-0 energy and the first oxidation potential of  $\mathbf{R}n$  and  $\mathbf{S}n$  in  $CH_2Cl_2$  are plotted against 1/n, where n is the number of phenylene rings for consideration. To study the temperature and solvent effects on the 0-0 energies and thus the correlation plots, we have also determined the fluorescence and excitation spectra of Rn and Sn in methylcyclohexane (MCH) at 77 and 300 K (Figure S1, SI). The corresponding 0–0 band energies are shown in Table S1,SI.

Plots a-f in Figure 4 show the excellent linear correlations  $(r^2 > 0.997)$  for the 0-0 band energies of absorption,



**Figure 4.** Linear plots of the 0-0 band energy (eV) of the (a) absorption and (b) fluorescence in CH<sub>2</sub>Cl<sub>2</sub> at room temperature, the (c) excitation and (d) fluorescence in MCH at 300 K, the (e) excitation and (f) fluorescence in MCH at 77 K, and the plots of (g) the first oxidation potential ( $E_{ox1}$ ) and (h) HOMO and LUMO energy levels (eV) versus the reciprocal of number of the backbone phenylene rings (n = n) in *Sn* (red squares) and *Rn* (black squares). The red open circle specifically denotes **S4** for the purpose of discussion.

fluorescence, or excitation spectra against 1/n with n = n for both Sn (n = 7, 10, 13, 16, 19, 22) and Rn (n = 2-5 and/or 8). In contrast, poorer correlations ( $r^2 < 0.990$ , Figure S2 in SI) were found with considering only the para-conjugated oligophenylene chain of Sn (i.e., n = (2n + 1)/3 = 5, 7, 9, 11, 13, 15 for S7, S10, **S13**, **S16**, **S19**, and **S22**, respectively, and n = 11 for **S19mb**). This explicitly shows that electronic excitation is effectively delocalized over the whole two-dimensional  $\pi$ -backbone of **S***n* in both the ground and the fluorescing state configurations. In other words, the ortho conjugation is as effective as the para conjugation in Sn in lowering the energy gap, and each Sn molecule behaves as a single chromophore. Fully two-dimensional exciton delocalization has not been observed for other branched MCO,<sup>30,31</sup> including the stepladder systems SFn.<sup>15</sup> Oligophenylenes SF16 and SF22 display the same fluorescence 0-0 energy at 438 nm (2.83 eV), which is red-shifted by only 8 nm from the 0-0 band of SF10 (430 nm, 2.88 eV).<sup>15</sup> We might conclude that it requires ortho-para connectivity and torsion-constrained planar  $\pi$ -scaffolds to achieve two-dimensional exciton delocalization.<sup>32</sup> In fact, only few known two-dimensional systems can fulfill both criteria.



Figure 5. Model proposed for the effective conjugation plane (ECP, a two-dimensional region covered by the yellow circle) of conjugated systems illustrated with (a) R12, (b) S19, and (c) S19mb.

Disc-shaped polycyclic aromatic hydrocarbons  $(PAHs)^{33-35}$  such as coronene and hexa-*peri*-hexabenzocoronene (HBC) are also qualified for two-dimensional exciton delocalization. Two-dimensional PAHs with a continued small curvature would lead to three-dimensional bowl- (e.g., corannulene)<sup>36</sup> or ball-shaped (e.g.,  $C_{60}$ )<sup>37</sup> structures. Their low HOMO–LUMO gaps appear to demonstrate an effective two- or three-dimensional exciton delocalization. Nevertheless, these PAHs are not oligomers of well-defined repeat unit and thus cannot be analyzed like **Sn** with the correlation plots.

The observation of two-dimensional conjugation in the excited state of Sn has led us to propose the ECP model for the description of exciton coherence size (Figure 5). By an analogy to ECL that defines the maximum length of exciton delocalization on one-dimensional systems, the ECP is the maximum region of exciton delocalization in a two-dimensional system. The ECL for **R***n* has been shown to be approximately the size of R12 on the basis of single-molecule spectroscopic analysis of R11 and long-chain Rn ( $n \approx 62$  and 165).<sup>22</sup> According to Figure 4 and Table 1, S19 is approaching the ECP for S*n*, as both S19 and S22 have the same  $\lambda_{\rm fl}$  of 472 nm. The slightly bended para chain in S19 contains 13 phenylene rings, which has a similar end-to-end distance to the ECL for Rn (i.e., the diameter of the yellow circle in Figure 5). This appears to suggest that ECP and ECL have a common origin: namely, exciton delocalization is multidimensional in nature with a specific size (e.g., a 3D sphere or 2D circle), but only suitable multidimensional systems can manifest this nature. To the best of our knowledge, Sn is the first system that uncovers the twodimensional boundary of exciton delocalization. Nevertheless, our results indicate that the ECL of one-dimensional systems allows one to define the diameter.

In the context of the ECP model, we can address the implications of deviation of S4 from the linear plots in Figure 4a-f. Regarding the structureless fluorescence for S4 at room temperature, the fluorescence 0-0 energy was estimated by the blue edge of the fluorescence plateau. The same degree of deviation for S4 in CH<sub>2</sub>Cl<sub>2</sub> at room temperature vs MCH at 300 K (plots a and b vs c and d in Figures 4, respectively) indicates a negligible solvent polarity effect. However, at 77 K the deviation becomes smaller and larger in the excitation (Figure 4e) and the fluorescence energy plot (Figure 4f), respectively. All these observations can be attributed to a conformation effect. According to the X-ray crystal structures of R5,<sup>6</sup> S4,<sup>16</sup> and S7,<sup>16</sup> the arms of Sn are planar but the isotruxene core has a small twist  $(9.8^{\circ} \text{ for } \text{S4} \text{ and } 18.6^{\circ} \text{ for } 18.6^{\circ} \text$ S7) between the two ortho-branched phenylene rings due to steric hindrance. This backbone twisting in the ground state can account for the blue shift of absorption and excitation spectra for S4 vs R4, although it is not large enough to inhibit exciton delocalization. However, the backbone twisting is expected to be

reduced in the excited state due to structural relaxation (planarization), which accounts for the decreased deviation in the fluorescence plots. The occurrence of structural relaxation is also consistent with the structureless fluorescence spectra and the large Stokes shift for S4 at room temperature. When the compounds are in the MCH glass at 77 K, structural relaxation toward the planar geometry in  $S_1$  is somewhat hampered. This accounts for the increased deviation in the fluorescence energy plot. Since structural relaxation is reduced at 77 K, the more planar conformers in the ground state would contribute more to the excitation spectra. This would lead to a red-shifted excitation spectrum as compared to that recorded at 300 K and thus a smaller deviation for S4 in Figure 4e. Although the isotruxene cores in S7 and the larger Sn systems are also nonplanar, the steric effect appears to be negligible. This can be attributed to a dilution of wave functions in the isotruxene core in Sn larger than S4. Note that the pattern of ring-bridging substituents in S4 vs R4 is more different than that in 1s vs 1a. The phenomenon of same fluorescence 0-0 energy but different absorption 0-0energy for S4 and R4 (Table 1) suggests that backbone planarity is more important than substituent pattern in determining the electronic properties.

The above discussion also leads to the conclusion that the small blue shifts of the 0–0 absorption and fluorescence band (3–4 nm) for **S19mb** vs **S19** mainly result from a less planar backbone. The participation of the three terminal ortho-branched phenylene rings in **S19mb** in the conjugation interactions is evidenced by the red-shifted 0–0 absorption and fluorescence bands and lower  $E_{ox1}$  value as compared to **S16** (Table 1). However, the presence of four isotruxene groups in **S19mb** makes the density of ortho branching (number of ortho branches/number of phenylene rings = 0.21) to an extent similar to that in **S4** (0.25). Accordingly, the steric effect cannot be neglected in **S19mb**.

A linear correlation between  $E_{ox1}$  and 1/n is also observed for Sn and Rn (Figure 4g). Figure 4h shows the corresponding plots with the HOMO and LUMO energy levels that are derived according to eqs 1 and 2:<sup>38</sup>

$$E_{\rm HOMO} = -(4.8 + E_{\rm ox1}) \tag{1}$$

$$E_{\rm LUMO} = E_{\rm HOMO} + E_{0,0} \tag{2}$$

where  $E_{0,0}$  is the 0–0 transition energy obtained from the intersection of normalized absorption and fluorescence 0–0 bands. The results show that increasing the chain length destabilizes the HOMO but stabilizes the LUMO and thus reduces the optical bandgap. A larger slope for the HOMO (-2.23) vs the LUMO (0.99) plot also reveals that the HOMO energy is more sensitive than that of the LUMO to the chain length, as is the case in linear oligophenylenes.<sup>4</sup>

**Electronic Structure.** We have shown that, unlike the multichromophoric nature of most multidimensional MCO,<sup>31</sup> the *Sn* represent the first example of single chromophores with branched arms. To gain insight into the electronic structure and spectra of *Sn*, we have carried out DFT calculations for the ground-state geometry optimization and TD-DFT calculations for the absorptions in the B3LYP/6-31G\*\* level.<sup>39,40</sup> To expedite the calculations, all the solubilizers on the saturated carbons are replaced with methyl groups. The energy diagram of the highest occupied molecular orbital HOMO (H) and lowest unoccupied molecular orbital LUMO (L) and the nearby orbitals H–2, H-1, L+1, and L+2 for **Sn** are shown in Figure 6. These frontier molecular orbitals (FMO) for **S19** are shown in Figure 7, and the corresponding FMO for the other **Sn** are shown in SI: Figure S3. The calculated absorption wavelength ( $\lambda_{abs,cal}$ ), oscillator strength (f), and the configuration description of the lowest three singlet excited states ( $S_1$ - $S_3$ ) are shown in Table 2. For comparison, the corresponding calculations for **R2**-**R5** were also carried out, and the results are shown in SI: Table S2 and Figure S3.

Despite a large difference in the number of phenylene rings (n = 4-22) and ortho-branching (4 in **S19mb** but 1 in the others) in **S***n*, they have a great similarity in the calculated electronic structure. There are two allowed transitions for each **S***n*, which are  $S_0 \rightarrow S_1$  and  $S_0 \rightarrow S_3$  for **S4**, **S7**, and **S10** but the latter transition becomes  $S_0 \rightarrow S_2$  for the larger **S***n*. Disregarding the second allowed transition being  $S_0 \rightarrow S_2$  or  $S_0 \rightarrow S_3$ , it possesses a larger *f* value than the  $S_0 \rightarrow S_1$  transition for all cases. This is consistent with the absorption spectra, where the maximum is always located at shorter wavelengths than the 0-0 absorption bands for **S***n* (Figure 2). For all **S***n*, the S<sub>1</sub> state is mainly



Figure 6. B3LYP/6-31G\*\* orbital energy level diagram for Sn and R5.

contributed by the H  $\rightarrow$  L configuration and the allowed S<sub>2</sub> or  $S_3$  excitation is dominated by two configurations,  $H-1 \rightarrow L$  and  $H \rightarrow L+1$ , although there are more configuration interactions as the size of Sn increases. The increased participation of the configurations associated with the H-2 and L+2 orbitals in the allowed transitions for larger Sn could be attributed to the significantly decreased energy difference between orbitals H-2 and H-1 and orbitals L+1 and L+2 (Figure 6). As represented by the case of **S19** (Figure 7), the H, L, H-2 and L+2 cover all the phenylene backbone with larger electron density in the central vs terminal phenylene rings for the former two orbitals but an opposite electron distribution is observed for the latter two orbitals. In contrast, the molecular orbitals H-1 and L+1 have electron density localized on the two arms that are metarelated with respect to the central phenylene ring. Evidently, the  $S_0 \rightarrow S_1$  is a completely delocalized transition, in agreement with the conclusion based on the 1/n-correlated 0-0 energy plots (Figure 4). Although the second allowed  $S_0 \rightarrow S_2$  transition is somewhat localized in the two meta-related arms, the two major configurations involve both the delocalized molecular orbitals H and L and have opposite direction of electron motions: from the localized H-1 to the delocalized L and from the delocalized H to the localized L+1.

Another interesting feature for the two allowed transitions for Sn is their distinct orientation of the transition dipole moments, which is different from the linear analogues Rn. As represented by S19 again, the orientations of the two allowed transition moments are depicted in Figure 8. The other Sn all display similar orientations for the two allowed transitions (Figure S4 in SI). These two allowed transition dipoles defines an angle ( $\theta$ ) in the range  $65-73^{\circ}$  for *Sn*. In contrast, there is only one allowed transition  $S_0 \rightarrow S_1$  that is oriented along the long molecular axis for R5, and the calculated oscillator strengths for the transitions to  $S_2$  and higher singlet states are essentially zero (Table S2). This character is retained for larger Rn but not for the smaller systems. For example, R2 (9,9-dialkylfluorene) has transitions moments oriented along the short  $(S_3 \text{ and } S_5)$  molecular axis in a comparable size as those along the long (e.g.,  $S_1$ ,  $S_2$ , and  $S_4$ ) molecular axis (Figure S4). Evidently, the electronic structure of R2 resembles most small molecule chromophores with



Figure 7. B3LYP/6-31G\*\* level calculated structure and the frontier molecular orbitals of **S19**. Only atomic charge densities with 1% or higher contribution are included.

Table 2. B3LYP/6-31G<sup>\*\*</sup> Level Calculated Absorption Energy, Oscillator Strength, and Description for the Lowest Three Singlet Excited States of Sn

$\begin{array}{ c c c c c c } \mbox{compd} & state & (nm) & f^{*} & configuration' & (\%) \\ \hline S4 & S_1 & 343 & 0.404 & H \rightarrow L & 98 \\ S_2 & 328 & 0.004 & H \rightarrow L & 98 \\ S_2 & 328 & 0.004 & H \rightarrow L + 1 & 48 \\ H \rightarrow L + 1 & 48 \\ S_3 & 295 & 0.522 & H \rightarrow L & 46 \\ H \rightarrow L + 1 & 48 \\ S_7 & S_1 & 410 & 0.888 & H \rightarrow L & 99 \\ S_2 & 371 & 0.006 & H \rightarrow L + 1 & 45 \\ S_3 & 355 & 1.170 & H \rightarrow L + 1 & 50 \\ H \rightarrow L + 1 & 52 \\ S10 & S_1 & 444 & 1.425 & H \rightarrow L & 98 \\ S_2 & 396 & 0.114 & H \rightarrow L & 98 \\ S_2 & 396 & 0.114 & H \rightarrow L & 98 \\ S_2 & 396 & 0.114 & H \rightarrow L & 96 \\ S_3 & 393 & 1.710 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 96 \\ S_2 & 418 & 2.420 & H \rightarrow L & 35 \\ H \rightarrow L + 1 & 35 \\ S_3 & 410 & 0.030 & H \rightarrow L & 35 \\ H \rightarrow L + 1 & 35 \\ S_3 & 420 & 0.013 & H \rightarrow L & 94 \\ S_2 & 446 & 2.873 & H \rightarrow L & 94 \\ S_2 & 446 & 2.873 & H \rightarrow L & 41 \\ H \rightarrow L + 1 & 52 \\ S19mb & S_1 & 481 & 2.522 & H \rightarrow L & 92 \\ S_2 & 446 & 2.873 & H \rightarrow L & 43 \\ S_19 & S_1 & 479 & 3.041 & H \rightarrow L & 91 \\ S_2 & 445 & 3.691 & H \rightarrow L + 1 & 43 \\ S19 & S_1 & 479 & 3.041 & H \rightarrow L & 91 \\ S_2 & 445 & 3.691 & H \rightarrow L + 1 & 35 \\ S_3 & 426 & 0.007 & H \rightarrow L & 42 \\ H \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 42 \\ H \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ S19 & S_1 & 484 & 3.605 & H \rightarrow L & 43 \\ H \rightarrow I \rightarrow L + 1 & 43 \\ H \rightarrow I \rightarrow L + 1 & 35 \\ S_2 & 454 & 4317 & H \rightarrow L \rightarrow 1 & 43 \\ H \rightarrow I \rightarrow L + 1 & 35 \\ S_3 & 431 & 0.019 & H \rightarrow L \rightarrow 1 & 43 \\ H \rightarrow I \rightarrow I \rightarrow I & 40 \\ H \rightarrow L \rightarrow I \rightarrow I & 40 \\ H \rightarrow L \rightarrow I \rightarrow I & 40 \\ H \rightarrow L \rightarrow I & 43 \\ H \rightarrow I \rightarrow I \rightarrow I & 40 \\ H \rightarrow L \rightarrow I & 43 \\ H \rightarrow I \rightarrow I & 1 & 40 \\ H \rightarrow L \rightarrow I & 1 & 31 \\ H \rightarrow I \rightarrow I & 1 & 31 \\ H \rightarrow I \rightarrow$		excited	$\lambda_{\mathrm{abs,cal}}{}^a$			weight <sup>d</sup>
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	compd	state	(nm)	$f^{b}$	configuration <sup>c</sup>	(%)
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	<b>S</b> 4	S <sub>1</sub>	343	0.404	$H \rightarrow L$	98
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	328	0.004	$H-1 \rightarrow L$	49
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	48
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	295	0.522	$H-1 \rightarrow L$	46
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \mathop{\rightarrow} L{+1}$	48
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	<b>S</b> 7	S <sub>1</sub>	410	0.888	$H \to \Gamma$	99
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	371	0.006	$H-1 \rightarrow L$	50
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	45
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	355	1.170	$H{-}1 \rightarrow L$	46
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \mathop{\rightarrow} L{+1}$	52
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	S10	$S_1$	444	1.425	$H \to \Gamma$	98
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	396	0.114	$H{-}1 \rightarrow L$	68
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \mathop{\rightarrow} L{+1}$	26
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	393	1.710	$H{-}1 \rightarrow L$	27
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \mathop{\rightarrow} L{+1}$	69
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	\$13	S <sub>1</sub>	462	1.949	$H \longrightarrow \Gamma$	96
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	418	2.420	$H-1 \rightarrow L$	59
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	35
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	410	0.030	$H-1 \rightarrow L$	35
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	58
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	S16	$S_1$	473	2.497	$H \rightarrow L$	94
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	434	3.059	$H-1 \rightarrow L$	52
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	37
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	420	0.013	$H-1 \rightarrow L$	40
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow L+1$	52
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	S19mb	$S_1$	481	2.522	$H \rightarrow \Gamma$	92
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	446	2.873	$H-1 \rightarrow L$	41
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H-1 \rightarrow L+2$	5
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		6			$H \rightarrow L+1$	44
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>3</sub>	427	0.007	$H-I \rightarrow L$	49
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	610	C	150	2.041	$H \rightarrow L+1$	43
$S_{2} = 445 = 3.691  H-2 \rightarrow L+1 = 5 \\ H-1 \rightarrow L = 47 \\ H-1 \rightarrow L+2 = 5 \\ H \rightarrow L+1 = 36 \\ S_{3} = 426 = 0.007  H-1 \rightarrow L = 42 \\ H \rightarrow L+1 = 47 \\ S_{2} = 454 = 3.605  H \rightarrow L = 88 \\ S_{2} = 454 = 4.317  H-2 \rightarrow L+1 = 6 \\ H-1 \rightarrow L = 43 \\ H-1 \rightarrow L+2 = 7 \\ H \rightarrow L+1 = 35 \\ S_{3} = 431 = 0.019  H-2 \rightarrow L = 15 \\ H-1 \rightarrow L = 40 \\ H \rightarrow L+1 = 35 \\ H \rightarrow L+1 = 35$	819	S <sub>1</sub>	479	3.041	$H \rightarrow L$	91
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		S <sub>2</sub>	445	3.691	$H-2 \rightarrow L+1$	5
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H-I \rightarrow L$	4/
$\begin{array}{cccccccccccccccccccccccccccccccccccc$					$H \rightarrow I \rightarrow I + 1$	3 26
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		c	126	0.007	$H \rightarrow L+1$	30 42
S22 $S_1$ 484 3.605 $H \rightarrow L$ 88 $S_2$ 454 4.317 $H-2 \rightarrow L+1$ 6 $H-1 \rightarrow L$ 43 $H-1 \rightarrow L+2$ 7 $H \rightarrow L+1$ 35 $S_3$ 431 0.019 $H-2 \rightarrow L$ 15 $H-1 \rightarrow L$ 40 $H \rightarrow L+1$ 35		33	420	0.007	$H \rightarrow I \perp 1$	42
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	\$22	S	484	3 605	II L⊤I H→I	47 88
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	322	51 S.	454	4 3 1 7	$H_{-2} \rightarrow I + 1$	6
$H \rightarrow L + 2 \qquad (43)$ $H \rightarrow L + 2 \qquad (7)$ $H \rightarrow L + 1 \qquad (35)$ $S_3 \qquad (431) \qquad (0.019) \qquad H - 2 \rightarrow L \qquad (15)$ $H \rightarrow L + 1 \qquad (35)$		02	TUT	1.317	$H = 1 \rightarrow I$ .	43
$H \rightarrow L+1 \qquad 35$ $S_3 \qquad 431 \qquad 0.019 \qquad H-2 \rightarrow L \qquad 15$ $H-1 \rightarrow L \qquad 40$ $H \rightarrow L+1 \qquad 35$					$H-1 \rightarrow L+2$	7
$S_{3} \qquad 431 \qquad 0.019 \qquad H-2 \rightarrow L \qquad 15$ $H-1 \rightarrow L \qquad 40$ $H \rightarrow L+1 \qquad 35$					$H \rightarrow L+1$	35
$H \rightarrow L + 1 \qquad 35$		S2	431	0.019	$H-2 \rightarrow L$	15
$H \rightarrow L+1 \qquad 35$		- 5	.01		$H-1 \rightarrow L$	40
					$H \rightarrow L+1$	35

<sup>*a*</sup> Calculated absorption energy. <sup>*b*</sup> Oscillator strength. <sup>*c*</sup> H and L stand for HOMO and LUMO, respectively. The second and third highest occupied molecular orbitals are denoted as H–1 and H–2 and the second and third lowest unoccupied molecular orbitals as L+1 and L+2, respectively. <sup>*d*</sup> Only configurations with 5% or greater contribution are included.



**Figure 8.** Orientation of the transition dipoles for the B3LYP/6-31G<sup>\*\*</sup> level calculated  $S_0 \rightarrow S_1$  and  $S_0 \rightarrow S_2$  absorptions of **S19**.

two-dimensionally spread transition moments, but **R5** behaves as linear  $\pi$ -conjugated polymers, which are characterized by one-dimensional polarization that leads to a single intense structured absorption band. In this context, the behavior of **S***n* is more molecule-like than polymer-like. The two-dimensional optical transition character for **S***n* is indeed borne out by their wavelength-dependent fluorescence anisotropy (vide infra).

The calculated absorption wavelength for the S<sub>1</sub> state is in the order S22 > S19mb > S19 > S16 > S13 > S10 > S7 > S4, which is consistent with the experimental observation except for the position of **S19mb**. The observed 0-0 absorption energy for **S19mb** is 2 nm lower than that of **S19**, but the opposite (2 nm higher) was predicted by the TD-DFT calculations. This discrepancy could be attributed to the uncertainty raised by the level of theoretical approach. If this factor can be ruled out, other possible differences may lie in the backbone planarity. The calculated structures are expected to have more planar phenylene backbone in the isotruxene moieties because of the use of smaller methyl substituents. This in turn suggests that with a more planar phenylene backbone the phenylene connection in **S19mb** would lower the energy gap more than that in **S19**. This might be attributed to the smaller diameter of S19mb vs S19 (Figure 5) in view of the fact that the HOMO and LUMO have more electron density in the center than the terminals (Figure 7). Recall that the  $S_0 \rightarrow S_1$  transition is mainly from the HOMO  $\rightarrow$  LUMO configuration. The calculated results also support the conclusion from the energy plots (Figure 4) that ortho conjugation is inherently as effective as para conjugation. The commonly observed weaker electronic coupling through an ortho-phenylene bridge results from a steric effect that decreases the backbone planarity.

**Fluorescence Anisotropy.** To verify the TD-DFT predicted two-dimensional optical transition character of *Sn*, we have measured the time-resolved fluorescence anisotropy for *Sn*  $(n \ge 7)$  in CH<sub>2</sub>Cl<sub>2</sub> with two different excitation wavelengths (400 and 440 nm, the blue lines in Figure 2). For comparison, the corresponding measurement was carried out for **R5**. Figure 9 shows the polarized fluorescence decay curves for **S19** and **R5** recorded at angles of 0° (parallel,  $I_{\parallel}$ ), 54.7° (magic angle,  $I_{MA}$ ), and 90° (perpendicular,  $I_{\perp}$ ) with respect to the polarization direction of the excitation laser. The corresponding decay curves for the other compounds are provided in the Supporting Information (Figure S5). Measured polarized fluorescence decay curves are carefully scaled by the tail-matching method to correct different grafting efficiencies for  $I_{\parallel}$  and  $I_{\perp}$ , in order to calculate



**Figure 9.** Fluorescence and anisotropy decay curves for (a) **R5** and (b) **S19** excited at 400 nm and for (c) **S19** excited at 440 nm. The solvent is CH<sub>2</sub>Cl<sub>2</sub>. Solid line denotes the measured polarized fluorescence decay curves in blue ( $I_{\parallel}$ ), red ( $I_{\perp}$ ), and green ( $I_{MA}$ ). Dotted black line denotes the constructed population decay curve ( $I_{pop}$ ), while magenta dashed line denotes the fitting curve. Anisotropy decay curve is shown as a solid black line with estimated error in red shadow area.

fluorescence anisotropy r based on eq 3:<sup>41</sup>

$$r = \frac{I_{\parallel} - I_{\perp}}{I_{\parallel} + 2I_{\perp}} = \frac{2}{5} \langle P_2(\cos \theta) \rangle \tag{3}$$

where  $P_2(\cos(\theta))$  is the second Legendre Polynomial  $(P_2(x) = 0.5(3x^2 - 1))$  of the cosine of the angle between the absorption and emission dipole moments. A constructed population decay curve,  $I_{pop} = 1/3 \cdot (I_{\parallel} + 2I_{\perp})$  of **R5** (Figure 9a), which is physically as meaningful as  $I_{MA}$ , is nearly identical to the polarized decay curve monitored at magic angle  $(I_{MA})$  after normalization. This further supports proper setup and alignment for the polarizer and the reliability of our anisotropy measurements. The resulting anisotropy decay curves are also shown in Figure 9, and the calculated time-zero anisotropy (r) values are depicted in Figure 10. Evidently, the anisotropy of Sn depends on both the n value and the excitation wavelength. At 440 nm, the anisotropy r values are all positive and in the order S10 > S13 > S22 > S16  $\approx$  S19mb  $\approx$  S19. The anisotropy decreases for them on going from 440 to 400 nm, and the sign becomes negative for



**Figure 10.** Fluorescence anisotropy for **S***n* and **RS** in CH<sub>2</sub>Cl<sub>2</sub> with the excitation wavelengths at 400 (solid circles and lines) and 440 nm (open circles and dashed lines). The number for each data point denotes the fraction of contribution from the  $S_0 \rightarrow S_1$  absorption ( $f_1(400 \text{ nm})$  for the solid circles and  $f_1(440 \text{ nm})$  for the open circles) calculated based on eq 5.

**S13** and **S16**. At 400 nm, **R5** and **S7** can also be determined, and they display higher anisotropy than the other **S***n*.

The results shown in Figure 10 can be rationalized by the changing contributions of the two allowed transitions ( $S_0 \rightarrow S_1$ ) and  $S_0 \rightarrow S_2$  or  $S_3$ ), which have transition moments polarized at an angle  $(\theta)$  of 65–73° to each other based on TD-DFT calculations (vide supra). The validity of a large calculated  $\theta$ angle between the two allowed transitions is promptly supported by the negative *r* values observed for **S13** and **S16**, since  $\theta$  values smaller than the magic angle 54.7° will lead to only positive rvalues. Assuming that the emission dipole moment is collinear to the  $S_0 \rightarrow S_1$  transition dipole (i.e.,  $\theta = 0$ ), the  $S_0 \rightarrow S_1$  and  $S_0 \rightarrow$  $S_2$  transitions would lead to theoretical *r* values of 0.4 and -0.11to -0.15, respectively, according to eq 3. In general, the observed limiting anisotropy is less than the theoretical value 0.4. The high r value of 0.35 observed for R5 excited at 400 nm is likely approaching the limiting anisotropy in this work. Note that the excitation corresponds to the  $0-0 S_0 \rightarrow S_1$  transition (Figure S1) in SI) and transitions to higher singlet excited states are predicted to be forbidden for R5 (Table S2 in SI). The r value for S10 excited at 440 nm is also high (0.34), consistent with a nearly pure  $S_0 \rightarrow S_1$  transition by inspecting its absorption spectrum (Figure 2). Assuming that the other minor transitions are negligible at the excitation wavelengths, the relative fraction of contributions of the two allowed transitions  $(f_1 \text{ and } f_2)$  can be estimated by the determined r values at any excitation wavelength  $\lambda$  based on eqs 4–6.

$$r(\lambda) = f_1(\lambda)r_1 + f_2(\lambda)r_2 \tag{4}$$

$$f_1(\lambda) = (r(\lambda) + 0.12)/0.47$$
 (5)

$$f_2(\lambda) = (0.35 - r(\lambda))/0.47 = 1 - f_1(\lambda)$$
 (6)

where  $r_1$  and  $r_2$  are the limiting anisotropy of the  $S_0 \rightarrow S_1$  and  $S_0 \rightarrow S_2$  or  $S_3$  transitions. With the assumption of  $r_1 = 0.35$  based on the data for **R5** and **S10**, the value of  $r_2$  is predicted to be -0.12 for  $\theta = 69^\circ$  (i.e., the average  $\theta$  value for the second allowed transition with respect to the  $S_0 \rightarrow S_1$  transition in **S***n*). The calculated  $f_1$  values for **S***n* are shown in Figure 10, and they agree

reasonably well with the appearance of absorption spectra shown in Figure 2 (marked with blue lines). More detailed data for  $\theta$ , r,  $f_1$ , and  $f_2$  are shown in Table S3 (Supporting Information).

## CONCLUSION

Our systematic studies on the ortho-branched ladder-type MCO **S***n* show that each **S***n* is a molecule-like single chromophore covering all the *n* phenylene rings in the backbone, including the multibranched case (S19mb). This in turn leads to the following implications. First, exciton delocalization through an orthophenylene bridge is as efficient as that through a para-phenylene bridge provided that the  $\pi$ -conjugated backbone is free from large torsion angles and torsional motions. In this context, isotruxene is a useful building block for constructing ortho-branched systems of effective two-dimensional conjugation. Second, backbone planarity plays the most important role in determining the size of electron coupling among the oligomeric  $\pi$ -segments than the substituted patterns of solubilizers. Third, exciton delocalization is multidimensional (or nondirectional) in nature, and the effective conjugation plane for a two-dimensional system possesses a diameter equivalent to the effective conjugation length defined by linear MCO analogues. This information should be valuable for developing novel multidimensional  $\pi$ -conjugated systems of desired electronic properties such as low bandgap, large two-photon absorption cross section,<sup>42</sup> and high charge-carrier mobility.<sup>4</sup>

# EXPERIMENTAL SECTION

**Materials.** All commercially available materials were used as received. Solvents for photochemical and electrochemical measurements were HPLC grade.  $CH_2Cl_2$  was dried by calcium hydride and distilled before use. Detailed synthetic procedures and structural characterization data for new compounds are provided as Supporting Information.

Methods. All the spectral and electrochemical data were collected at room temperature ( $23 \pm 1$  °C). UV-visible spectra were measured on a Cary300 double beam spectrophotometer. Fluorescence spectra were recorded on a PTI QuantaMaster C-60 spectrometer and corrected for instrumental nonlinearity. The optical density (OD) of all solutions was about 0.1 at the wavelength of excitation. Fluorescence quantum yields were determined using an integrating sphere (150 mm diameter, BaSO<sub>4</sub> coating) of Edinburgh Instruments by the Edinburgh FLS920 spectrometer. Fluorescence decays were also measured at room temperature with the use of the Edinburgh FLS920 spectrometer with a gated hydrogen arc lamp using a scatter solution to profile the instrument response function. The goodness of the nonlinear least-squares fit was judged by the reduced  $\chi^2$  value (<1.2 in all cases), the randomness of the residuals, and the autocorrelation function. The excitation and fluorescence spectra at 77 K were measured with sample solutions in an Oxford OptistatDN cryostat with an ITC502 temperature controller. Frequencydoubled femtosecond pulses of 400 and 440 nm generated from the Tsunami (Spectra-Physics, U.S.A.) along with an Edinburgh OB900-L spectrometer were used to carry out the time-resolved fluorescence anisotropy measurements. A polarizer was settled in front of the detector and could be tuned to select fluorescence of designated polarization. The cyclic voltammetry (CV) and differential pulse voltammetry (DPV) were recorded on a CHI 612B electrochemical analyzer, and the electrochemical cells adopted a glassy carbon as the working electrode, a Pt wire as a counter electrode, an Ag wire as a reference electrode, and 0.1 M Bu<sub>4</sub>NPF<sub>6</sub> as electrolyte. The substrates are  $\sim$ 1 mM in CH<sub>2</sub>Cl<sub>2</sub>. All reported potentials were calibrated using ferrocene as an internal standard. DFT and TD-DFT calculations were performed with the Gaussian 09 program.<sup>38,39</sup> The gas-phase conformations of Sn and Rnwere derived from DFT calculations with B3LYP level of theory and

6-31G\*\* basis set. The electronic nature of the absorption bands was investigated by TD-DFT calculations at the B3LYP/6-31G\*\* level.

# ASSOCIATED CONTENT

**Supporting Information.** Detailed synthetic procedures and characterization data for new compounds, electronic spectra in methylcyclohexane at 77 and 300 K, alternative correlation plots, DFT-calculated molecular orbitals, Cartesian coordinates, orientations of allowed transition dipoles, and full fluorescence anisotropy spectra and data for **Sn** and **Rn**, TD-DFT-calculated absorption descriptions for **Rn**, and complete ref 39. This material is available free of charge via the Internet at http:// pubs.acs.org.

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